

LAB 09 QUESTIONS

QUESTION 1

Open the polar grapher application. What is the polar graph of $\sin(t)$?

- A circle of radius 1 centered at the origin.
- A circle of radius $1/2$ centered at $(0, 1/2)$.
- A circle of radius $1/2$ centered at $(0, -1/2)$.
- A circle of radius $1/2$ centered at $(1/2, 0)$.
- A circle of radius $1/2$ centered at $(-1/2, 0)$.

1 points

QUESTION 2

Set the grapher to start when $t = 0$. What ending value of t is the smallest you need to have the entire circle traced?

- $\pi/4$
- $\pi/2$
- π
- 2π
- 4π

1 points

QUESTION 3

Graph $\sin(n \cdot t)$ for various integer values of n . Make a conjecture about the number of "petals" on the "rose."

- n petals
- n petals if n is even, $2 \cdot n$ petals if n is odd
- n petals if n is odd, $2 \cdot n$ petals if n is even
- $2 \cdot n$ petals

1 points

QUESTION 4

Graph $\cos(n \cdot t)$ for various integer values of n . Make a conjecture about the number of "petals" on the "rose."

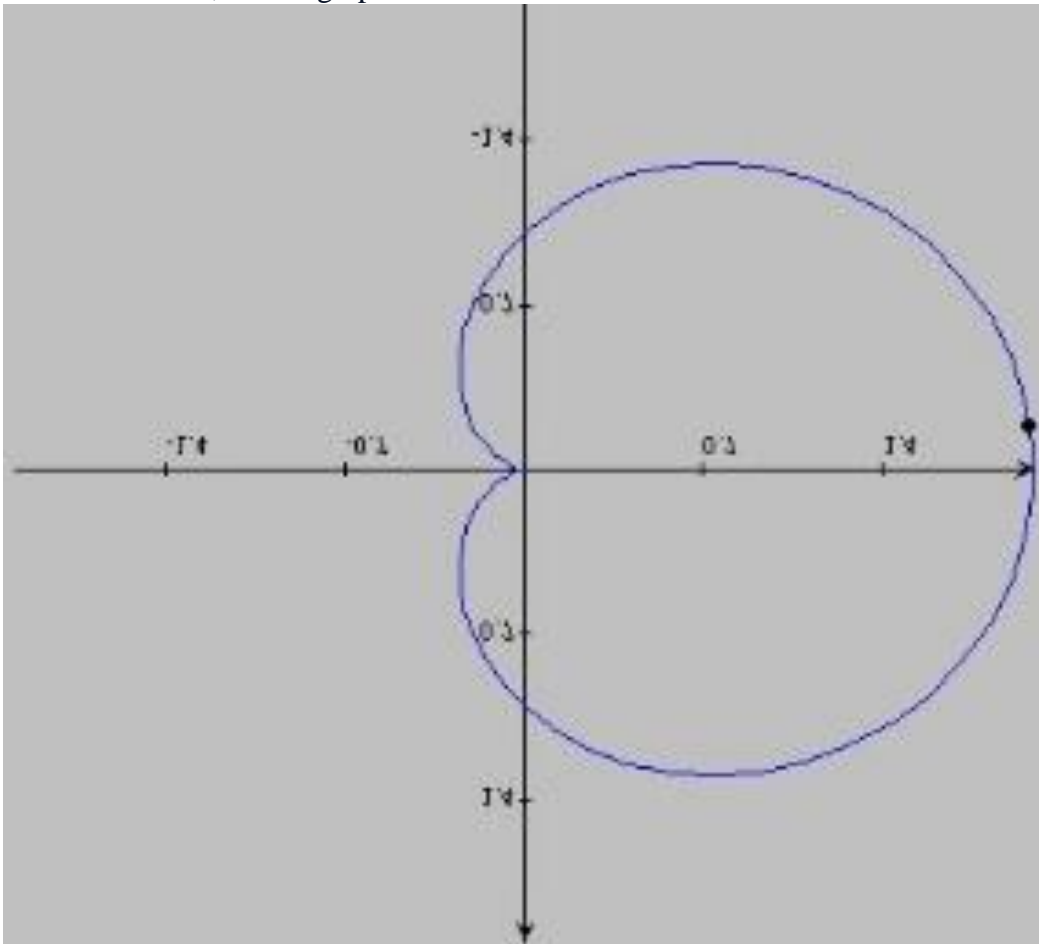
- n petals
- n petals if n is even, $2 \cdot n$ petals if n is odd

- n petals if n is odd, $2 \cdot n$ petals if n is even
- $2 \cdot n$ petals

1 points

QUESTION 5

The graph of $1 - \sin(t)$ is called a cardioid, because it is heart shaped. Find the polar equation of another cardioid, whose graph is shown below.



- $1 - \sin(t)$
- $1 + \sin(t)$
- $1 - \cos(t)$
- $1 + \cos(t)$

1 points

QUESTION 6

The graph is symmetric with respect to the polar axis. What does this say about the algebraic symmetry of the function?

- $r(t) = r(-t)$
- $r(t) = -r(t)$
- $r(t) = r(\pi/2 - t)$
- $r(t) = r(\pi - t)$

0.5 points

QUESTION 7

A graph is symmetric with respect to the vertical line corresponding to $t = \pi/2$. What does this say about the algebraic symmetry of the function?

- $r(t) = r(-t)$
- $r(t) = -r(t)$
- $r(t) = r(\pi/2 - t)$
- $r(t) = r(\pi - t)$

0.5 points

QUESTION 8

Be a little bit artistic here.

- | | | | |
|----------------------|---|---------------------------------|--------------|
| <input type="text"/> | ▼ | $\sin(t) \cdot \cos(3 \cdot t)$ | A. fish |
| <input type="text"/> | ▼ | $\sin(t) \cdot \cos(2 \cdot t)$ | B. butterfly |
| <input type="text"/> | ▼ | $\sin(t) \cdot \cos(5 \cdot t)$ | C. spider |

1 points

QUESTION 9

Think about what the graph of $r(t) = t$ might look like before you try to graph it. What happens to the graph if you allow negative values of t ?

- It is a circle, with symmetric values for negative t .
- It is a parabola, with symmetric values for negative t .
- It is a spiral, opening out in the opposite direction for negative t .
- It is a cross between a fish and a spider, and is not defined for negative t .
- It is a rose with more and more petals, whether t is positive or negative.

1 points

QUESTION 10

The polar grapher was written using what are called parametric plots, which treat both x and y as depending on t . If you look at the "fine print" at the bottom of the grapher you can see the formulas for how x and y points are being generated. What is the recipe that is used?

- It is based on the conversion formulas from polar to rectangular coordinates, with r given by the polar function of t that is being plotted.
- It is based on the conversion formulas from rectangular to polar coordinates, with x and y computed by the Pythagorean theorem.
- It comes from the metric system.
- It comes from the reciprocal identities.
- It is based on solving quadratic trig equations to determine x and y .

1 points

QUESTION 11

The "vertical line test" can be used to decide if the graph of a given cartesian equation in rectangular coordinates x and y represents a function. What is the equivalent of the vertical line in this test when we interpret the test using polar coordinates?

- A vertical line parallel to $\theta = \pi/2$
- A horizontal line parallel to $\theta = 0$
- a line through the origin corresponding to a constant value of θ
- a circle centered at the origin corresponding to a constant value of r
- a circle passing through the origin

1 points